

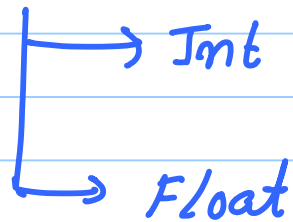
Aug 23rd.

Note Title

23-08-2011

SPEC

SPEC CPU 2006



Time: A.M

Perf: H.M

Spec Ratio = G.M(
Individual Ratios)

www.spec.org

0x FE 00 00 00

MOV r1, #0x FE 00 00 00

If you want to load a number (32 bit)
write the entire number.

Valid:

Consider the part of the number

between the leftmost and rightmost 1
(payload)

(a) This should be 8 bits.

(b) It is right rotated from its base
value by an even number
of steps.

base value \rightarrow payload is in the first (user)
8 bits.

\rightarrow 00 00 00 78

ROr 4

80 00 00 07

Pls. take a look

at the relevant
section in the

book

3

$$\begin{array}{r} 10 \\ 011 \\ \hline 1001 \end{array}$$

$$\begin{array}{r} 11111 \\ + 1 \\ \hline 100000 \end{array}$$

Ripple Carry Adder

$O(n)$ \rightarrow Complexity (Time)

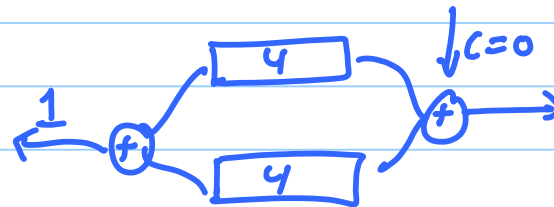
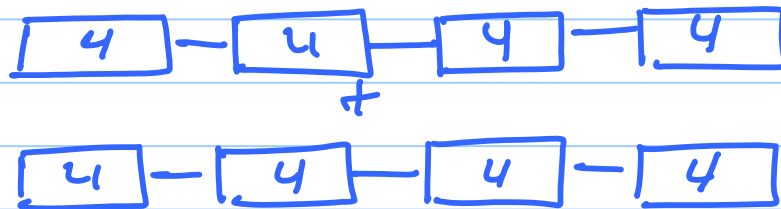
$\Theta(n)$ \rightarrow space

Full Adder : a, b, c (carry)

$$\text{carry_out} = ab + bc + ca$$

$$\text{sum} = a \oplus b \oplus c$$

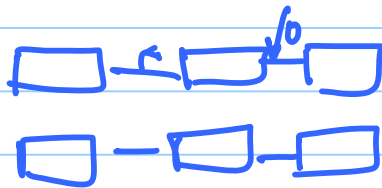
Carry - Select Adder
(16 bit adder)



First Stage: Add blocks of 4 $\begin{cases} \rightarrow \text{Carry} = 0 \\ \rightarrow \text{Carry} = 1 \end{cases}$

Second stage: Propagate the carry.

A Block can \rightarrow generate its own carry
 \rightarrow propagate a carry
 \rightarrow absorb a carry

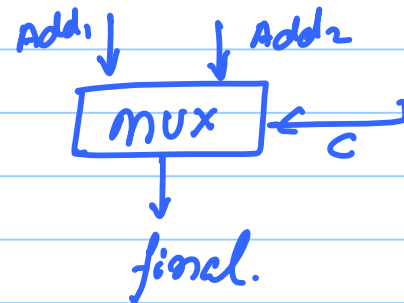


Stage 1: 4

Stage 2: $n/4$

Time: $O(n/4)$
space: $\Theta(2n)$

For one result bit



Asymptotic complexity—
did not improve.

But, it is faster.

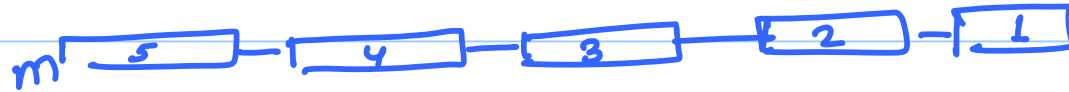
stage 1: \sqrt{n}

stage 2: \sqrt{n}

$O(\sqrt{n})$

Slightly better version

(15 bit num addition)



$$\sum_{i=1}^m i = \frac{m(m+1)}{2} = O(m^2)$$

blocks = \sqrt{n}

Time: $O(m) = O(\sqrt{n})$

Carry Lookahead Adder

a b

$$G = ab$$

$$\text{carry out} = G + P C_{in}$$

$$P = a\bar{b} + \bar{a}b$$

